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# Optimum Compression of Iris Templates by using Multiple Source Coding 

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#### Abstract

The aim of this Research work is to improve the performance of the system by using the Adaptive Delta \& Shannon-Fano Codes. Using error detection and correction methods to tackle erroneous frames in such environment is inefficient, because of the large number of steps needed in these methods (4). Also these methods introduce high latency, where the repeated retransmission or regeneration consumes considerable time, which leads to a high delay between detection moment of an event at the sensor nodes, so that the informing the base station about that event may be very late. Retransmission or regeneration also consumes large amount of energy of the nodes. Whereas energy saving is sometimes one of the main aspect here.


KEYWORDS: Error detection and correction, Adaptive delta code, Shannon-fano code.

## I. Introduction

One of the main applications of Authentication system is to recognize the correct personnel and collecting information about expected finer points. In this context it is hard for the system to deliver a huge file of the collected information, even when transmitting at the maximum power, without strong error correction techniques. In the last of 70 s offer geometry scanners, and since 80s, there is continuing investigate on iris and retina scans. Biometric system was initially existed since about 70 s . An improvement of such systems is based in the fact individuality and behaviour is totally dependent to its holder and cannot be detached in usual situation. With repetitive improvement these systems get many implications, even on the personal areas.
Essentially, an Iris biometric characteristic is supposed to be (1):

- CONSTANT - This characteristic must be anti aging.
- UNIQUE - It means that this characteristic must be different from individual to someone.
- MEASURABLE - It means that the particular characteristic must be simply measured.
- WORLDWIDE - that is, each person must have these specific characteristic.


Fig 1: Iris Scanning by Biometric Machine

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(A High Impact Factor, Monthly, Peer Reviewed J ournal)<br>Visit: www.ijirset.com<br>Vol. 6, I ssue 10, October 2017<br>II. Architecture of Human Eye

Unique that is basis for identification is provided by both dots patterns on the iris and blood vessel pattern on retina. Only one company, Eye-Dentify Inc. generates retinal scan products, and no others are expected to enter the field. However many companies working on devices that examine the human iris; the most famous, Iris Scan, owns the patent. This technique's main advantage over retina scans is the client does not need to focus on a target, because this is exist on the eye's surface. Retina scans, performed by directing a low intensity IR light through the pupil and Retina of the eye; has been available commercially from the time when 1985. A company that has licensed the iris scanning technology, from IriScan hopes to position its Iris dent product into ATMs in the coming years is Sensor.


Fig 2 Structure of Iris and its Finer Points

## III.RECOGNITION OF SHAPE OF OBJECT

Let, scanning camera is made by (8x8) Pixels Matrix (8). Then firstly we decide the number of Gray Levels and the Threshold Value.
Let,
There are 8 Levels.....

| $0=000$ | $\rightarrow$ Black Level |  |
| :--- | :--- | :--- |
| $1=001$ |  | Undesired Gray Levels |
| $2=010$ |  |  |
| $3=011$ | $\rightarrow$ Threshold Level |  |
| $4=100$ |  | Desired Gray Levels |
| $5=101$ |  |  |
| $6=110$ |  |  |
| $7=111$ | $\rightarrow$ White Level |  |

Table 1: Grey Level Classification
N4 = Direct Connected Pixels


Fig 3: Calculation of Object Finer Points Gray Levels

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N8 = Direct and Diagonally Connected Pixels
If $\mathrm{P}(\mathrm{X}, \mathrm{Y})=\mathrm{N} 8[\mathrm{P}(\mathrm{X}, \mathrm{Y})]=\mathrm{V}$
Where, Level Set V $\varepsilon\{0,1,2,3\}$
Then the Pixels are on the same Gray Level Set, i.e. all are connected with each other. The corner is the point at which a grey level stops. It has 2 neighbours. Point 1 is the regular part of the object. It has 3 neighbours. In this type of recognition system, we may store the position of corners and points of Edge of the Object into a database. To store these points 3 elements are used as $X$ - coordinate, Y-coordinate, and rotation angle $\theta$ of object, i.e. $\mathrm{x}, \mathrm{y}, \theta$.

## IV.RECOGNITION OF POSITION OF ObJECT

$\mathrm{X}=$ Pixel value in Horizontal direction
$\mathrm{Y}=$ Pixel value in Vertical direction
$\Theta=$ Orientation from Origin
Bifurcation is a point where three ridges met with each other. There is a single point which has the gray level that is not similar to the neighbouring point; it is defined as the Pore. Corner has only one matching gray level. It means it is the end point of any ridge. The diagonal of the central location (Retinal location) is known as the Bridge.

There are 3 neighbours of point- P so that it is a point of Bifurcation of the object. This is our desired point. Object Position at Bifurcation $\quad=\mathrm{P}(\mathrm{X}, \mathrm{Y}, \Theta)$

$$
=P(1,6,80)
$$




Fig 4: (a) Recognition of finer point, (b) Recognition of Bifurcation

## V. Coding Theory

Coding theory is the study of the properties of codes and their fitness for a specific application (1). Codes are used for data compression, cryptography, error-correction and more recently also for network coding (7). Codes are studied by various scientific disciplines such as information theory, electrical engineering, mathematics, and computer science for the purpose of designing efficient and reliable data transmission methods. This typically involves the removal of redundancy and the correction (or detection) of errors in the transmitted data (5).
There are essentially two aspects of coding theory:

1. Data compression (or, source coding)

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2. Error correction (or channel coding)

| S. | $\mathbf{X}-$ <br> field | Bits for <br> X-field | Y- <br> field | Bits for <br> Y- field | $\boldsymbol{\theta}-$ <br> field | Bits for <br> 日- field |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 64 | 001000000 | 44 | 00101100 | 357 | 101100101 |
| 2 | 75 | 001001011 | 80 | 01010000 | 243 | 011110011 |
| 3 | 79 | 001001111 | 70 | 01000110 | 59 | 000111011 |
| 4 | 85 | 001010101 | 86 | 01010110 | 145 | 010010001 |
| 5 | 92 | 001011100 | 88 | 01011000 | 333 | 101001101 |
| 6 | 125 | 001111101 | 83 | 01010011 | 255 | 011111111 |
| 7 | 132 | 010000100 | 91 | 01011011 | 293 | 100100101 |
| 8 | 136 | 010001000 | 157 | 10011101 | 249 | 011111001 |
| 9 | 176 | 010110000 | 85 | 01010101 | 263 | 100000111 |
| 10 | 177 | 010110001 | 147 | 10010011 | 271 | 100001111 |
| 11 | 188 | 010111100 | 171 | 10101011 | 275 | 100010011 |
| 12 | 189 | 010111101 | 148 | 10010100 | 83 | 001010011 |
| 13 | 199 | 011000111 | 168 | 10101000 | 282 | 100011010 |
| 14 | 202 | 011001010 | 203 | 11001011 | 271 | 100001111 |
| 15 | 205 | 011001101 | 90 | 01011010 | 53 | 000110101 |
| 16 | 214 | 011010110 | 116 | 01110100 | 254 | 01111110 |
| 17 | 216 | 011011000 | 196 | 11000100 | 263 | 100000111 |
| 18 | 225 | 011100001 | 161 | 10100001 | 322 | 101000010 |
| 19 | 232 | 011101000 | 206 | 11001110 | 9 | 000001001 |
| 20 | 242 | 011110010 | 176 | 10110000 | 299 | 100101011 |
| 21 | 246 | 011110110 | 209 | 11010001 | 296 | 100101000 |
| 22 | 248 | 011111000 | 199 | 11000111 | 275 | 100010011 |
| 23 | 252 | 01111100 | 230 | 11100110 | 113 | 001110001 |
| 24 | 261 | 100000101 | 198 | 11000110 | 271 | 100001111 |

Table 2: Storing of Finer Points in binary format

| $\begin{gathered} \text { S. } \\ \text { No. } \end{gathered}$ | X - <br> Field | Break Numbers $(\mathbf{a}+\mathbf{b})$ | Shannon-Fano Coding (a) | Binary Coding (b) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 64 | 60+4 | 100 | 100 |
| 2 | 75 | $60+14$ | 100 | 1110 |
| 3 | 79 | $60+19$ | 100 | 10011 |
| 4 | 85 | $60+25$ | 100 | 11001 |
| 5 | 92 | $90+2$ | 00001 | 10 |
| 6 | 125 | $120+5$ | 001 | 101 |
| 7 | 132 | $120+12$ | 001 | 1100 |
| 8 | 136 | $120+16$ | 001 | 10000 |
| 9 | 176 | $150+26$ | 0001 | 11010 |
| 10 | 177 | $150+27$ | 0001 | 11011 |
| 11 | 188 | $180+8$ | 11 | 1000 |
| 12 | 189 | 180+9 | 11 | 1001 |
| 13 | 199 | 180+19 | 11 | 10011 |
| 14 | 202 | $180+22$ | 11 | 10110 |
| 15 | 205 | $180+25$ | 11 | 11001 |
| 16 | 214 | $210+4$ | 01 | 100 |
| 17 | 216 | 210+6 | 01 | 110 |
| 18 | 225 | $210+15$ | 01 | 1111 |
| 19 | 232 | $210+22$ | 01 | 10110 |
| 20 | 242 | $240+2$ | 101 | 10 |
| 21 | 246 | 240+6 | 101 | 110 |
| 22 | 248 | 240+8 | 101 | 1000 |
| 23 | 252 | $240+12$ | 101 | 1100 |
| 24 | 261 | $240+21$ | 101 | 10101 |

Table 3: Calculated Shannon-Fano \& Additional Binary Codes for X-Field

Let for example we take the templates of X- field. Here we use Shannon-Fano code with Adaptive-delta compression. Hence for that we have created the group of 30 numbers and find the values present in this group.

| S. | Periods | Values | Probabilities |
| :---: | :--- | :--- | :---: |
| 1 | $0-30$ | $\ldots \ldots \ldots \ldots \ldots$ | 0 |
| 2 | $30-60$ | $\ldots \ldots \ldots \ldots \ldots$ | 0 |
| 3 | $60-90$ | $64,75,79,85$ | 4 |
| 4 | $90-120$ | 92 | 1 |
| 5 | $120-150$ | $125,132,136$ | 3 |
| 6 | $150-180$ | 176,177 | 2 |
| 7 | $180-210$ | $188,189,199,202,205$ | 5 |
| 8 | $210-240$ | $214,216,225,232$ | 4 |
| 9 | $240-270$ | $242,246,248,252,261$ | 5 |

Table 4: Periods of Points \& their respective Probabilities for the Group of X-Field

Fig 5: Shannon-Fano Code Formula to Reduce applied Samples of Finer Points

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## VI. EXPERIMENTAL RESULTS

Total bits required for storing X-field without coding
$=9$ bits*24
$=216$ bits

Total bits required for storing X-field with coding
$=6+7+8+8+7+6+7+8+9+9+6+6+7+7+7+5+5+6+7+5+6+7+7+8$ bits
$=164$ bits

The compression ratio of template is:

$$
\begin{aligned}
& =\frac{(216-164)}{216} * 100 \% \\
& =\frac{(52)}{216} * 100 \% \\
& =24 \%
\end{aligned}
$$

Therefore it is clear that with this technique approximately $24 \%$ compression ratio can be achieved.

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