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Placement of Renewable Distributed Generation Using Harmony Search Optimization Technique

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ABSTRACT: In this paper a new approach using Harmony Search (HS) algorithm is presented for placing Distributed Generators (DGs) in radial distribution systems. HS is used for multiple objective planning, to evaluate the DG placement and sizing by considering the power losses and voltage profile as objective functions. HS is operated on 12bus, 15-bus and 33-bus radial distribution system(RDS). Obtained results of 12-bus, 15-bus and further 33-bus in MATLAB are compared with other DG placement techniques such as Improved Analytical (IA), Mixed Integer Non Linear Programming (MINLP). The proposed method is found to be more effective in terms of voltage stability enhancement and power loss minimization.

KEYWORDS: Distributed generation, harmony search algorithm, multi-objective optimization, loss minimisation, improving voltage profile.

I. INTRODUCTION

Growing load demand within the distribution network provides scope for analyzing the distribution network to reach the demand with the current infrastructure. And the feasible energy development is an important concern, all over the world, for performing economical and industrial growth. Due to this there has been an excellent interest within the integration of distributed generation (DG) units at the distribution level. Advantages of DGs [1] depends on how they are placed in the power system, namely on their location and size. Distribution networks are characterized by the high R/X ratio causing a large voltage drop and substantial power losses in the power system. Studies have indicated that inappropriate selection in terms of both site and size of DG, may lead to greater system losses than the losses without DG.

The optimum DG allocation may be a complicated problem with nonlinear objective function and nonlinear constraints, during which heuristic algorithms are a descent selection for placing DGs. The optimization problem of single and multiple DG placements is done using GA [4], PSO [5, 6], ant colony [14], artificial bee colony [8], differential evolution [7], and harmony search [10], [11]. Although, the heuristic algorithms are derivative free and halfwit to implement, they have much iteration to ensure converged solution. Thus, they become computationally intensive. These techniques could give nearly optimum solutions.

In this paper, an algorithmic program is projected that overcomes these limitations. It uses Improved Harmony Search (IHS) based heuristic approach for various combinations of DG locations due to the large search space and computes the optimal capacity. For this a wide range of objectives and range of constraints are recommended for the placement of DGs, like loss reduction, voltage improvement. As there are various types of DGs available in the



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

market, however here thought about the Renewable Energy Sources. However the strategy confirmed during this paper are often effective and helpful to system designers in selecting proper sites to place DG.

II. MATHEMATICAL FORMULATION

The main objective of the proposed approach is to minimize the total system power loss by Optimal Sizing and sitting of Distributed Generation in radial distribution system by considering the constraints.

They are classified into 2 types:

1) Equality constraints

2) Inequality constraints

A. EQUALITY CONSTRAINTS: Real and Reactive power balance constraints are related to the non linear power flow equations, the power balance constraints is formulated as follows

$P_i = P_{DGi} - P_{Di}$	(1)
$Q_i = Q_{DGi} - Q_{Di}$	(2)

Where

 P_i is real power flow at bus i in KW

 Q_i is reactive power flow at bus i in KVar

 P_{DGi} is real power generation from DG placed at bus i in KW

 Q_{DGi} is reactive power generation from DG placed at bus i in KVar

 P_{Di} is real power demand at bus i in KW

 Q_{Di} is reactive power demand at bus i in KVAR

B. INEQUALITY CONSTRAINTS: An inequality constraint lies between acceptable limits to satisfy the objective function.

a) Bus Voltage limits

Bus Voltage magnitude is to be kept within acceptable limits then the bus voltage limit is given by

$$V_{i\min} \le V_i \le V_{i\max} \tag{3}$$

Where $V_{i\min}$ and $V_{i\max}$ are lower and upper bound bus voltage limits in P.U

b) DG Capacities

The capacity of each DG unit should be differ around its nominal value. So that each DG unit must be maintained with in an acceptable limit.

The capacity of DG is given as follows $P_{\text{res}} \neq P_{\text{res}} \neq P_{\text{res}}$

$$P_{DGi\min} \le P_{DGi} \le P_{DGi\max}$$

$$Q_{DGi\min} \le Q_{DGi} \le Q_{DGi\max}$$
(4)
(5)

Where,

 P_{DGimin} and P_{DGimax} are minimum and maximum real power generation from DG capacity in KW.

 $Q_{\rm DGimin}$ and $Q_{\rm DGimax}$ are minimum and maximum reactive power generation from DG Capacity inn KVAR



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

III. PROPOSED METHODOLOGY

In this section a various radial distribution system is used to locate the DG in an optimal place with the proper sizing. The Proposed Approach needs power flow to be run for two times, one for the initial base case and another at the final stage with the DG to obtain the optimal solution.

HARMONY SEARCH ALGORITHMS

An overview of the basic Harmony Search (HS) algorithm is presented in this section, followed by improved version of the HS algorithm reported in the literature, Improved Harmony Search (IHS).

A.HARMONY SEARCH (HS)

The HS is based on the natural musical process which searches for a perfect state of harmony. The HS algorithm does not require initial values for the decision variables and uses a stochastic random search. In general, the HS algorithm works as follows [10]:

Step1. Define the objective function and decision variables. Input the system parameters and the boundaries of the decision variables.

The optimization problem can be defined as Minimise f(x)

Subject to $x_{iL} \le x_i \le x_{iU}$ (i=1, 2...N)

Where X_{iL} and X_{iU} are the lower and upper bounds for decision variables.

The HS algorithm parameters are specified in this step. They are the harmony memory size (HMS) or the number of solution vectors in harmony memory, the harmony memory considering rate (HMCR), the distance bandwidth (bw), the pitch adjusting rate (PAR), and the number of improvisations (K)or stopping criterion, where K is the same as the total number of function evaluations.

Ste 2. Initialize the harmony memory (HM). The harmony memory is a memory location where all the solution vectors (sets of decision variables) are stored. The initial harmony memory is randomly generated in the region

 $[x_{iL}, x_{iU}]$ (i=1, 2...N). This is done based on the following equation:

$$x_i^j = x_{iL} + rand() \times (x_{iU} - x_{iL})$$
(j=1, 2, HMS) (6)

Where rand() is a random number from a uniform distribution of [0, 1].

Step3. Improvise a new harmony from the harmony memory. Generating a new harmony

 x^{new} is called improvisation, which is based on 3 rules: memory consideration, pitch adjustment, and random selection.

First of all, a uniform random number *r* is generated in the range [0, 1]. If *r* is less than the HMCR, the decision variable x_i^{new} is generated by the memory consideration; otherwise x_i^{new} , is obtained by a random selection.

Then, each decision variable x_i^{new} will undergo a pitch adjustment with a probability of PAR if it is produced by the memory consideration. The pitch adjustment rule is given as follows:

$$x_i^{new} = x_i^{new} \pm r \times bw \tag{7}$$

Ste 4. Update harmony memory. After generating a New Harmony vector x^{new} , the harmony memory will be updated. If the fitness of the improvised harmony vector $x^{new} = (x_1^{new}, x_2^{new}, \dots, x_N^{new})$ is better than that of the worst harmony, the worst harmony in the HM will be replaced with x^{new} and become a new member of the HM.



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

Step5. Repeat Steps 3–4 until the stopping criterion (maximum number of improvisations, K) is met.

B.THE IMPROVED HARMONY SEARCH (IHS)

An improved harmony search algorithm (IHS) is proposed in [11], in which the key modifications are about PAR (Pitch adjustment Rate) and bw (Band width). In the HS, PAR, and bw are all constants, but the IHS updated them dynamically as follows

$$PAR(k) = PAR_{\min} + \left(\frac{PAR_{\max} - PAR_{\min}}{K}\right)k$$

$$bw(k) = bw_{\max} \exp\left(\frac{In\left(\frac{bw_{\min}}{bw_{\max}}\right)}{K}\right)k$$
(8)
(9)

Where k is current number of improvisations, and K is maximum number of improvisations. Numerical results on engineering optimization problems reveal that the IHS can find better solutions compared to the HS. In IHS, the numbers of parameters are increased, which is not good, and this is the main drawback of the IHS. It should be noted that in order to get the optimum point by heuristic algorithms, the parameters of the algorithm must be tuned for the problem at hand.



IV. SIMULATION RESULTS AND DISCUSSION

In this section, a number of case studies are presented to show the effectiveness of the proposed IHS Algorithm. The proposed Matlab model is implemented in MATLAB (R2013a) and simulated in a 2.4GHz Intel Core i3 system with 1.46 GB RAM.



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

The Proposed formulation is tested on IEEE 12 bus, 15 bus and 33 bus distribution systems. And the results of 33 bus are then compared with the Improved Analytical (IA) and Mixed Integer Non-Linear Programming (MINLP), which are the promising ways for multiple DG placements.



Fig 2.Single line diagram of 12 bus RDN



Fig 3.Single line diagram of 15 bus RDN



Fig 4.Single line diagram of 33 bus RDS

All the simulations are carried out considering the system peak load. The lower and upper limits of bus voltages employed in the simulation are 0.90 p.u and 1.05p.u respectively. In addition, the maximum DG power is constricted such that it shouldn't exceed the total load and losses. The results obtained with DG units are capable of



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

delivering real and reactive power. However, projected formulation is generalized and may be enforced for any type of DGs. The power factor of DG unit provides real and reactive power, which are constrained between 0.8 and 1.0. The base case values for both 12-bus, 15 bus are 100MVA, 11 KV and for 33-bus base case values are 100MVA, 12.66KV.

The total real and reactive power demands in IEEE 12-bus system are 415KW and 403 MVar respectively. System line loss without DG is 20.286 KW. Similarly for IEEE 15 bus system total real and reactive power demands are 1.22MW, 1.25 MVar. System line loss without DG is of 59.4KW.



Fig 5 V (p.u) waveform of 12 bus before and after DG placement



Fig6. PL (KW) waveform of 12 bus before and after DG placement

Based on the constraints that have considered above, the optimal solution for 12 bus is obtained by placing DGs at bus 4 and Bus9, with size 0.175MW,.145MVar at bus 4 and 0.178MW,.101MVar at bus 9 having minimum voltage of 0.9905(p.u) at bus 12, improvement of voltage profile after DG placement shown in fig 5,and minimisation of real power loss(KW) compared to base case is shown in fig 6.Below table.1 shows the results of 12-bus,15-bus after DG placement by comparing with base case values.

Similarly for 15 bus the optimal solution is obtained by placing DG at bus 3,15 with size of 0.431MW,0.405 MVar at bus 3 and 0.435MW,0.406MVar at bus 15 having minimum voltage of 0.9785(p.u) at bus 8, there has been an improvement of voltage profile after DG placement is shown in fig 7, and minimisation of real power loss(KW) compared to base case is shown in fig 8.



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016







Fig 8.PL (KW) waveform of 15 bus before and after DG placement

System Type	12-bus	15-bus
Optimal location of DG	4,	3,
	9	15
Optimal DG size in MW	0.175(4),	0.431(5),
	0.178(9)	0.435(13)
Optimal DG size in MVar	0.145(4),	0.408(5),
	0.101(9)	0.406(13)
Base case Real power loss in KW	20.2862	59.1847
Base case Reactive power loss in KVar	8.0344	55.497
Total real power loss in KW with DG	1.5731	12.6503
Total reactive power loss in KVar with	0.6019	10.4069
DG		
Real power loss reduction in %	92.2	78.62
Reactive power loss reduction in %	92.5	81.24
	0.94578(Before DG)	0.9446(Before DG)
Vmin(p.u)	0.99005(After DG)	0.9785(After DG)

Table1	Results	of pro	posed	method	for	test svs	tems
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(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

		Bu			
No of		s	DG		%Loss
DGs	Method	no	(MW)	PL(KW)	reduction
	IA	6	2.6	102.815	49.0820
1	MINLP	6	2.59	102.813	49.0829
DG	HS	6	2.587	102.8139	49.0825
		6	1.8	89.41398	55.7187
	IA	14	0.72		
		13	0.85		
	MINLP	30	1.15	95.99845	52.4578
		13	0.841	79.76024	60.4996
2 DG	HS	30	1.08		
		6	0.9	78.2341	61.2554
		12	0.9		
	IA	31	0.72		
		13	0.88		64.0313
		24	1.09	72.6289	
	MINLP	30	1.05		
		13	0.773		
3		24	1.025		66.8962
DG	HS	30	1.201	69.8490	

Table 2.Placement of DG (MW) units for IEEE 33-bus system

The total real and reactive power demands in IEEE 33-bus system are 3.7MW and 2.3 MVar respectively. System line loss without DG is 211 KW. The simulation results of placement of single and multiple DG units with real power at 33bus are given in Table 2. All the methods converge to the similar solution for single DG placement at 33 bus. However, IHS based proposed formulation takes least time to converge.

Table3. Placement of 1 DG unit with real and reactive power capability for IEEE 33-bus system

Method	bus no	P(MW)	Q(MVAR)	PL(KW)	% Loss reduction
IA	6	2.637	1.634	61.6116	69.4875
MINLP	6	2.554	1.761	61.34116	69.6214
HS	6	2.557	1.746	61.3365	69.6237

The major advantage of the proposed formulation is obvious from placement of multiple DG units. In case of 2 DG units, minimum losses and with lowest DG size is obtained with the proposed method in comparison to the other methods.

Table4. Placement of 2 DGs unit with real and reactive power capability for IEEE 33-bus system

method	bus no	P(MW)	Q(MVar)	PL(KW)	% Loss reduction
	6	1.8	1.8		
IA	30	0.9	0.9	37.4872	81.4348
	13	0.819	0.819		
MINLP	30	1.55	1.55	34.414	82.9568
	14	0.992	0.992		
HS	30	1.05	1.05	30.9741	84.6604



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016

Table5. Placement of 3 DG units with real and reactive power capability for IEEE 33-bus system.

method	Bus no	P(MW)	Q(MVar)	PL(KW)	% Loss reduction
	6	0.9	0.557		
	14	0.63	0.39		
IA	30	0.9	0.557	22.259	88.9764
	13	0.766	0.411		
	24	1.044	0.552		
MINLP	30	1.146	0.759	13.7302	93.2002
	13	0.8	0.42		
	25	1.04	0.47		
HS	30	1.07	0.9	13.4743	93.3270

The proposed locations are found to be optimal as verified by IA, MINLP method on 2 and 3 DG scheme. Moreover, in the case of 3 DG units, proposed method gives minimum losses with slight higher DG size than IA method. Tables 3–5 presents the simulation results for placement of single and multiple DG units with real and reactive power capability. In Table3, IHS based proposed formulation shows the improved performance in reaching optimum solution. In the case of 2 DG units (Table4), it can be observed that the proposed method reaches to the optimal locations and sizes, thereby giving maximum loss reduction with least total DG power as shown in fig10. In the case of 3 DG units (Table 5), optimal locations are identical with MINLP. However, proposed method gives maximum loss reduction with DG size slightly higher than MINLP; the waveform of it is shown in fig12.

Since in IA method, multiple DG units are placed sequentially, i.e. next optimal location is obtained within the presence of previously placed DG units. Even if, IA method is fast, the separate evaluation of multiple DG units lead to sub-optimal locations. As observed in Tables 4& 5, IA method leads to sub-optimal locations for multiple DG units. For example, in the case of 2 DG units, the proposed IHS method gives improved voltage profile as compared to the IA and MINLP techniques as shown in Fig.9.



Fig9. Voltage profile of IEEE 33-bus system with 2 DG units



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016



Fig 10.Power loss of IEEE 33-bus system with 2 DG units

The voltage at bus number 18 is raised to 1.007 p.u by the proposed method, whereas, IA method improves this voltage to 0.96 p.u only. Maximum and minimum voltage with proposed method is 1.01 and 0.9806 p.u at bus 14 and 25 respectively. Whereas maximum and minimum voltage with MINLP technique is 1.0073 and 0.9821 p.u at bus 13 and 25 respectively. Bus voltages are further improved with 3 DG placement. The proposed method gives most flat voltage profiles as compared to IA and MINLP techniques as shown in Fig 11.



Fig11. Voltage profile of IEEE 33-bus system with 3 DG units.



(An ISO 3297: 2007 Certified Organization)

Vol. 5, Issue 11, November 2016



V. CONCLUSION

In this paper, Improved Harmony Search (IHS) optimization technique is presented for optimal placement of DG units in IEEE 12, 15 and 33 Bus systems to reduce the losses in the distribution network.

Comparative analysis of the proposed IHS method on IEEE 33-bus with IA and MINLP is carried out in terms of DG size, loss reduction, and voltage profile improvement. The proposed methodology provides improved performance in terms of lower losses with smaller DG size and better voltage profile compared to IA, MINLP techniques. And planned formulation can be implemented for any type and any number of DG units.

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